Lattice Decoding and Rescoring with Long-Span Neural Network Language Models

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Abstract

With long-span neural network language models, considerable improvements have been obtained in speech recognition. However, it is difficult to apply these models if the underlying search space is large.

In this paper, we combine previous work on lattice decoding with long short-term memory (LSTM) neural network language models. By adding refined pruning techniques, we are able to reduce the search effort by a factor of three.

Furthermore, we introduce two novel approximations for full lattice rescoring, which opens the potential of lattice-based speech recognition techniques. Compared to 1000-best lists, we find that we can achieve word error rate improvements obtained with LSTMs from 8.2% to 10.7% relative over a state-of-the-art baseline, while the resulting lattices are even considerably smaller. In addition, we investigate the use of LSTMs for Babel Assamese keyword search, obtaining significant improvements of 2.5% relative.

Index Terms: speech recognition, language modeling, recurrent neural networks, long short-term memory, word lattices

1. Introduction

In today’s speech recognition systems, the language model (LM) estimates the probability \( p(w^n_i) \) of a word sequence \( w^n \), where a conditional dependence on the previous \((n-1)\) words is assumed. This results in the factorization

\[
p(w^n_i) = \prod_{i=1}^{N} p(w_i|w_{i-1}^{i-1}).
\]

Most commonly, the quantity \( p(w_i|w_{i-1}^{i-1}) \) is estimated using a count-based model [1], and it is found that no improvements can be obtained by going beyond \( n = 4 \) or \( n = 5 \).

More recently, language models based on neural networks ([2, 3, 4, 5]) have proven especially effective for speech recognition. For this kind of model, much longer context dependences are beneficial. E.g., in [6], a feedforward neural network LM with \( n = 8 \) was used, and in case of recurrent neural networks ([4, 6]), there is not even an explicit upper bound on the context length that is used for the estimation of the word posterior probabilities.

For efficiency reasons, neural network LMs are mainly applied in a second decoding pass. This means that a set of candidates for the correct word sequence is obtained using a count-based LM. In a second pass, the neural network LM is evaluated on the set of candidates, and the best hypothesis according to the new LM is selected.

In this paper, we stick to the following terminology: By decoding, we denote the process of obtaining the overall best hypothesis from a set of candidate hypotheses. We refer to the term rescoring in the case where we obtain updated probability estimates for each hypothesis from the candidate set.

The mismatch in context length of the count-based LM for the first pass and the neural network LM for the second pass makes it difficult to apply the neural network in practice. More precisely, if the set of hypotheses is encoded as an \( n \)-best list, both decoding and rescoring are straightforward and can be carried out without introducing approximations ([7, 8]). However, only a small fraction of the overall search space can be covered. Even for large \( n \)-best lists, most hypotheses will differ in a few word positions only, such that there is little variation in the list.

If the set of hypotheses is encoded as a word lattice, the underlying search space can be represented accurately. On the other hand, for decoding, only an approximative approach is possible, because evaluating the neural network LM for all the unique (with respect to the neural network LM) paths in the lattice is computationally too costly. In [9], a hill climbing solution was used for lattice decoding. In [10], an efficient push forward algorithm was presented to find the best path in a word lattice in a machine translation setting.

To the best of our knowledge, no prior work has investigated the problem of rescoring lattices with a long-span neural network LM. This is important, because many speech recognition techniques rely on lattices, e.g., word confidence estimation, confusion network based decoding, and keyword search. In all these cases, using an \( n \)-best list instead of a lattice would result in a severe degradation in performance. In particular, with existing approaches, the improvements obtained with recurrent neural networks (which were shown to outperform feedforward models in [6, 11, 12]) cannot be transferred to any of the above applications.

This paper introduces the following novelties: First, we apply the push forward algorithm from [10] to a speech recognition setting, and we combine it with long-span recurrent long short-term memory (LSTM) neural network LMs ([5, 13]). Second, we investigate refined pruning techniques. Finally, we propose two novel approximation strategies for full lattice rescoring with recurrent neural networks, and evaluate their effectiveness for French speech recognition and Babel Assamese keyword search.

2. LSTM Neural Network LMs

There exist multiple variants of neural network LMs. In this work, we make use of an architecture that is depicted in Fig. 1,
consisting of four layers (including input and output layer). This results in the following equations for the forward pass of the neural network:

\[ y_{t-1} = A_1 x_{t-1} \]
\[ z_{t-1} = \xi(y_{t-1}; A_2, y_1^{-2}) \]
\[ p(c(w_t)|w_1^{-t-1}) = \varphi(c(w_t)|A_3 z_{t-1}) \]
\[ p(w_t|c(w_t), w_1^{-t-1}) = \varphi_{w_t}(A_4(c(w_t), z_{t-1})) \]
\[ p(w_t|w_1^{-t-1}) = p(w_t|c(w_t), w_1^{-t-1}) \cdot p(c(w_t)|w_1^{-t-1}) \]

Here, by \( x_{t-1} \) we denote the one-hot encoded vector representation of the most-recent history word \( w_{t-1} \), and \( y_{t-1} \) and \( z_{t-1} \) are the outgoing activation values of the projection layer and the hidden layer, respectively. The matrices \( A_1, A_2, A_3, A_4(w_i) \) contain the weights of the corresponding neural network layers. By \( \xi(\cdot; A_2, y_i^{-2}) \) we denote the LSTM formalism that we plug in at the third layer. As the LSTM layer is recurrent, we explicitly include the dependence on the previous layer activations. The equations corresponding to \( \xi \) can be found e.g. in [14]. Finally, \( \varphi \) is the widely-used softmax function to obtain normalized probabilities, and \( e \) denotes a word class mapping from any vocabulary word to its (unique) word class that we use to speed up the computations ([15, 16]). Word classes can be trained.

3. Lattice Decoding

3.1. Push Forward Algorithm

As our work builds on the push forward algorithm from [10], we shortly sketch the idea of this approach. In first step, the nodes of a lattice are sorted in topological order. Then the neural network language model is evaluated, starting from the first node, computing the probability for each word label on the outgoing arcs of the current node, then iterating over the successor nodes.

As the order of the neural network LM is higher than that of the LM which was used to create the lattice, paths in the lattice may be recombined even though they would need to be kept separate in terms of the neural network LM. Therefore, a set of partial hypotheses is associated with each lattice node, where a hypothesis keeps track of the full LM context. To limit the number of hypotheses during decoding, out of those hypotheses where the \((n-1)\) predecessor words of the LM contexts match, only the best hypothesis is retained at a lattice node (\(n\)-gram recombination). In addition, only the \(m\)-best hypotheses are retained at each node (cardinality pruning).

3.2. Refined Pruning Strategies

We found that we can easily transfer pruning techniques from standard speech recognition decoders to the case of the push forward algorithm.

This relates to the fact that in a speech recognition lattice, multiple nodes share a common time stamp, unlike in the case of machine translation. Sorting the lattice nodes by time and traversing them in this order leads to a (topological) time-synchronous expansion of the search graph. A time-synchronous processing was found to be very efficient for beam pruning in case of first pass speech decoding ([19]).

Consequently, for a given time stamp in the lattice, we compute the best score of all related hypotheses. Afterwards, we discard those hypotheses whose score exceeds the current best score augmented by a fixed threshold. (By score we denote the negative logarithm of the corresponding probability.)

In first pass decoding, it is also common to use some kind of look ahead technique regarding scores that will be computed in the future. For example, in first pass decoders relying on a prefix tree representation of the lexicon, the best reachable LM score is added to the scores computed for the current time frame ([19]). By contrast, for transducer-based decoders, the sum over all reachable scores is taken into account instead, and it is even found that a look ahead based on the single best path can decrease performance ([20]).

From this perspective, the single-best look ahead and the look ahead simultaneous promising case of lattice decoding, and we investigate both in the experimental section. In either case, we make use of the scores from the acoustic model as well as from the count-based LM, which both are already available at lattice decoding time.

It should be added that beam pruning is a necessary requirement for look ahead techniques. When using cardinality pruning instead, only the scores of hypotheses attached to a single node are compared with each other. As a result, look ahead does not have any effect because it is the same for all hypotheses.

4. Lattice Rescoring

During lattice decoding, we keep track of all partial paths that have been considered as potential candidates for the overall best path by using a so-called traceback data structure as is used in conventional first pass decoding ([19]). In this way, we build up a tree structure that represents all hypotheses considered during decoding. An example is shown in Fig. 2, where arcs from the lattice are shown in black, and arcs from the corresponding traceback tree are shown in red.

Figure 1: Architecture of the recurrent LSTM neural network LM used throughout this work.

Figure 2: Example lattice and hypothetical traceback tree (indicated in red). Dashed lines correspond to pruned paths.
Our goal is to make use of the probabilities computed during decoding to obtain a lattice that incorporates the neural network LM probabilities.

4.1. Replacement Approximation

For the first approximation, we keep the lattice structure fixed, i.e., we only exchange the LM probability estimates them selves. Furthermore, we choose the approximation in such a way that in case where the lattice would be fully expanded (i.e., correspond to an \( n \)-best list, be it compressed as a prefix tree or not) it would result in an exact rescoring.

To this end, we sort all traceback hypotheses decreasingly by time, and increasingly by their score. Afterwards, starting from the final node, we follow the best path back to the start node, assigning the neural network probabilities for the individual words as new LM scores to the visited arcs. In the example of Fig. 2, this would be, say, the path \( g \rightarrow f \rightarrow c \). We continue to follow back the other traceback paths from the final node, leaving unchanged the scores of lattice arcs that have already been rescored before. Then, we continue in the same manner with the hypotheses that, due to pruning, ended at an earlier node (paths \( g \rightarrow e \), \( b \), and \( f \) in the example lattice). We enforce that at each lattice node at least one hypothesis survives pruning. Like this, we are guaranteed that we can fully rescore the original lattice.

4.2. Traceback Lattice Approximation

A disadvantage of the replacement approximation is that only a part of the neural network probabilities is actually kept for building the rescored lattice. Instead, we can also allow the final lattice to have a structure different from the original one. We choose our approximation in such a way that the overall best path in the rescored lattice must be the same as the one that is found by lattice decoding.

To achieve this goal, we directly convert the traceback tree back into a lattice. However, there is a huge difference in the number of paths in the lattice and its decoding traceback: A typical lattice in our setup contains \( 10^{10} \) different paths from the start node to the final node. By contrast, the traceback tree only contains about 100 of such paths. All missing paths in the traceback have been pruned, and we recover them by recombining pruned paths with surviving (but not necessarily complete) paths in the traceback tree. To do so, for each pruned traceback path ending at a lattice node, we determine the worst traceback path surviving this node which is still better than the pruned path. (Due to recombination pruning (see Section 3.1), a surviving path is not necessarily better than a pruned path.) Then we recombine the pruned and the surviving path. In the example in Fig. 2, this means that the distinct paths \( e \rightarrow g \) and \( c \rightarrow f \rightarrow g \) will meet after the former path was pruned, and they continue as one path starting from node 4.

The resulting lattice has the exact same number of paths as the original lattice. In contrast to the situation of the push forward algorithm, it is not expanded to a unique context up to a certain length.

5. Experimental Results

5.1. French Speech Recognition

The LM training data are summarized in Table 1. The acoustic model for the French experiments was trained on 350 hours of broadcast conversational and broadcast news data. In addition, we incorporated multilingual multi-layer perceptron (MLP) fea-

<table>
<thead>
<tr>
<th>Corpus</th>
<th>Running Words</th>
<th>Vocabulary</th>
</tr>
</thead>
<tbody>
<tr>
<td>Quaero French</td>
<td>Train 100 M</td>
<td>188 K</td>
</tr>
<tr>
<td></td>
<td>Dev 35 K</td>
<td></td>
</tr>
<tr>
<td></td>
<td>Test 41 K</td>
<td></td>
</tr>
<tr>
<td>Babel Assamese</td>
<td>Train 406 K</td>
<td>22 K</td>
</tr>
<tr>
<td></td>
<td>Dev 66 K</td>
<td></td>
</tr>
</tbody>
</table>

Table 1: Training data for the French and Assamese languages.
Table 2: Word error rate results for Quaero. If no error rate is given, it is identical to the corresponding Decoding/CN result of the same row. The Kneser-Ney 4-gram (KN4) was trained on 1.6B running words. Lattice density (Dens.) is measured in arcs per reference word. Lattices after resoring with the replacement approximation do not increase in size, as opposed to the traceback approximation.

<table>
<thead>
<tr>
<th>Type</th>
<th>Development Data</th>
<th>Test Data</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Dens.</td>
<td>V</td>
</tr>
<tr>
<td>KN4</td>
<td>124</td>
<td>14.4</td>
</tr>
<tr>
<td>100-best</td>
<td>128</td>
<td>13.4</td>
</tr>
<tr>
<td>1000-best</td>
<td>1289</td>
<td>13.2</td>
</tr>
<tr>
<td>Lattice-1</td>
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<td>13.1</td>
</tr>
<tr>
<td>Lat.-4 dep.</td>
<td>392</td>
<td>12.8</td>
</tr>
</tbody>
</table>

Figure 4: Tradeoff between the number of neural network probability calculations and word error rate performance for various pruning and look ahead (LA) techniques.

5.2. Babel Assamese Keyword Search

We also investigated the potential improvements in keyword search by lattice rescoring with LSTM LMs. It is state-of-the-art to use a bigram count-based LM ([26]) for keyword search. Furthermore, best results are obtained for extremely huge lattices. Therefore we only investigate the replacement approximation here.

We took our current best system for Babel Assamese keyword search system trained on the full language pack according to the ‘BaseLR’ conditions as a baseline for this experiment. The lattices had 7900 arcs per second. Details can be found in [27]. For the baseline system, we obtained a maximum term-weighted value (MTWV) score of 0.4936 (cf. Tab. 3). By interpolating with four bigram MLP neural network language models (which would reflect the order of the original count-based LM), we improve this MTWV score to 0.5001. If we exchange the MLP by an LSTM instead, we can finally increase this value to 0.5060, improving the baseline score by 2.5 % relative.

<table>
<thead>
<tr>
<th>LM</th>
<th>MTWV Score</th>
</tr>
</thead>
<tbody>
<tr>
<td>KN Bigram</td>
<td>0.4936</td>
</tr>
<tr>
<td>+4 x Bigram MLP</td>
<td>0.5001</td>
</tr>
<tr>
<td>+4 x LSTM</td>
<td>0.5060</td>
</tr>
</tbody>
</table>

Table 3: Keyword search results for Babel Assamese.

6. Conclusion

In this work, we investigated a lattice decoding algorithm on two speech recognition setups. We refined previous pruning techniques, leading to a three times reduction in search effort. With the introduction of two novel approximation techniques for lattice rescoring, we were able to reduce the word error rate of a state-of-the-art French speech recognition system with an LSTM by 10.7 % relative, instead of 8.2 % when using 1000-best lists, and our rescored lattices are still considerably smaller. Finally, our rescoring approach also helps improving Assamese keyword search.

7. Acknowledgements

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8. References


